

## Counting energy dispersal

General Chemistry, CH102 Spring 2011

1. Here is a representation of 4 quanta of energy,  $q$ , distributed among 3 molecules:  $q|q|qq$ . How many ways (**different or not**) can the **4 units** of energy end up with 1 in the first molecule, 1 in the second molecule, and 2 in the third molecule?

- 0% 1. 1  
0% 2. 4  
0% 3.  $q! = 4! = 4 \cdot 3 \cdot 2 \cdot 1 = 24$

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2. Here is a representation of 4 quanta of energy,  $q$ , distributed among 3 molecules:  $q|q|qq$ . Let  $d = 2$  be the number of "dividers" separating the molecules  $m = 3$  molecules. How many ways (**different or not**) can the **two dividers**,  $|$ , be assigned to achieve the arrangement  $q|q|qq$ ?

- 0% 1. 1  
0% 2.  $d! = 2! = 2 \cdot 1 = 2$   
0% 3.  $m! = 3! = 3 \cdot 2 \cdot 1 = 6$

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3. One possible representation of 4 units of energy,  $q$ , distributed among  $m = 3$  molecules is  $q|q|qq$ . Let  $d = m - 1 = 2$  be the number of "dividers" separating the  $m = 3$  molecules. How many **total** arrangements of the  $q + d = 6$  objects are possible, ignoring that  $q$  and  $|$  are different?

- 0% 1.  $q + m = 7$   
0% 2.  $q \cdot d = 4 \cdot 2 = 8$   
0% 3.  $(q + d)! = 6! = 6 \cdot 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1 = 720$   
0% 4.  $(q + m)! = 7! = 7 \cdot 6 \cdot 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1 = 5040$

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4. How many ways (**different or not**) can the particular arrangement  $q|q|qq$  of four quanta among three molecules be made?

- 0% 1.  $q! \cdot m! = 4! \cdot 3! = 144$   
0% 2.  $q! \cdot d! = 4! \cdot 2! = 48$   
0% 3.  $(q + d)! = 6! = 6 \cdot 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1 = 720$   
0% 4.  $(q + m)! = 7! = 7 \cdot 6 \cdot 5 \cdot 4 \cdot 3 \cdot 2 \cdot 1 = 5040$

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5. Two **different** arrangements of  $q = 4$  quanta among  $m = 3$  molecules are  $q|q|qq$  and  $qqq|q$ . Which relation is true about the number of **total** number of **different** ways,  $W_e(q, m)$ , that  $q$  quanta can be distributed among  $m$  molecules?

- 0% 1.  $W_e(q, m) = q! \cdot m!$   
0% 2.  $W_e(q, m) = q! \cdot d! = q! \cdot (m - 1)!$   
0% 3.  $W_e(q, m) \cdot q! \cdot d! = (q + d)!$   
0% 4.  $W_e(q, m) \cdot q! \cdot m! = (q + m)!$

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6.  $W_e(q, m) = (q + d)! / (q! \cdot d!) = (q + m - 1)! / (q! \cdot (m - 1)!)$  is the number of **different** ways that  $q$  quanta can be distributed among  $m$  molecules. How many **different** ways can **2 quanta** be distributed among **3 molecules**?

- 0% 1. 3
- 0% 2. 6
- 0% 3. 10
- 0% 4. 20

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7.  $W_e(q, m) = (q + d)! / (q! \cdot d!) = (q + m - 1)! / (q! \cdot (m - 1)!)$  is the number of **different** ways that  $q$  quanta can be distributed among  $m$  molecules. How many **different** ways can **3 quanta** be distributed among **3 molecules**?

- 0% 1. 3
- 0% 2. 6
- 0% 3. 10
- 0% 4. 20

10

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